

Lightning Talk at CCS 2025

# ***Noise-Induced Traffic Instabilities: Modelling and Experimental Insights***

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# Motivation: Stop-and-go Waves in Traffic

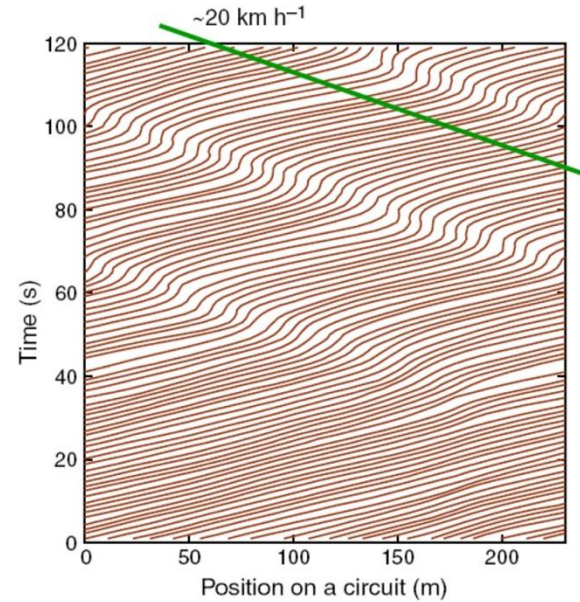


Fig 1: Sugiyama et al.: Traffic jams without bottlenecks. New J Phys, 10:033001, 2008

# Motivation: Stop-and-go Waves in Traffic

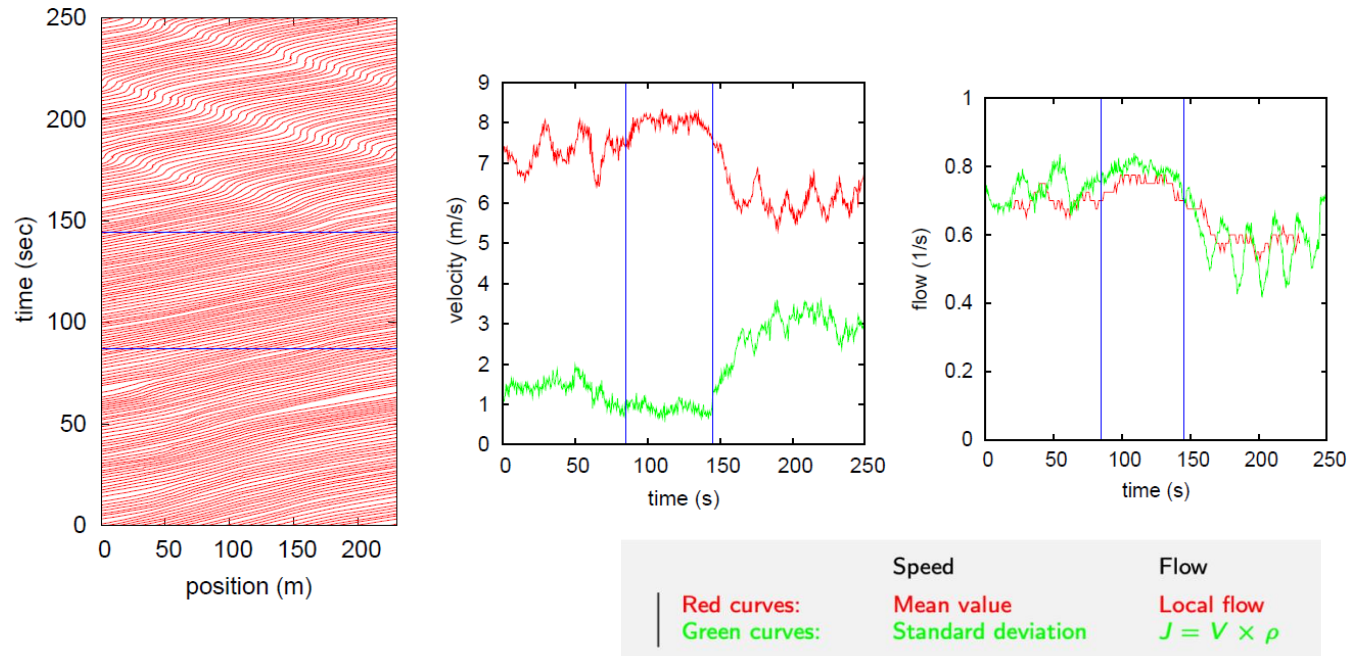


Fig 2: Phase transition in the Sugiyama Experiment. Speed drops, standard deviation rises

# Deterministic Car-Following Model

Optimal Velocity Model (OVM)

$$\dot{v} = \frac{v_{opt}(s) - v}{\tau}$$

is linearly stable if

$$0 < \frac{2}{\tau} < T$$

$\tau$ : Reaction time

$T$ : Timegap

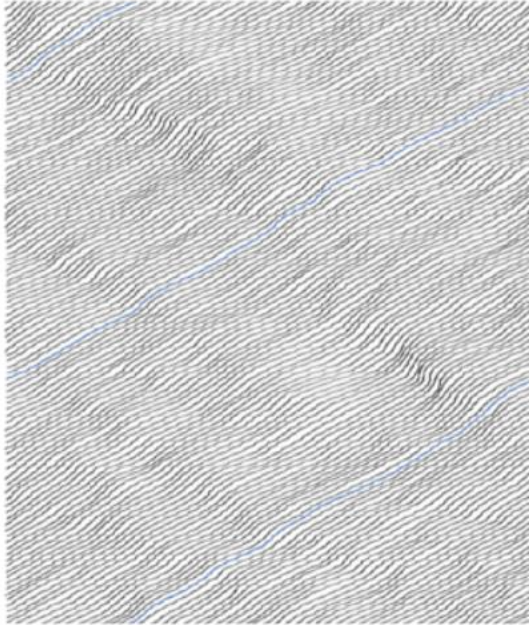
# Stochastic Car-Following Model

$$dv_n(t) = A(x_{n+1}(t) - x_n(t), v_n(t), v_{n+1}(t))dt + \sigma dW_n(t)$$

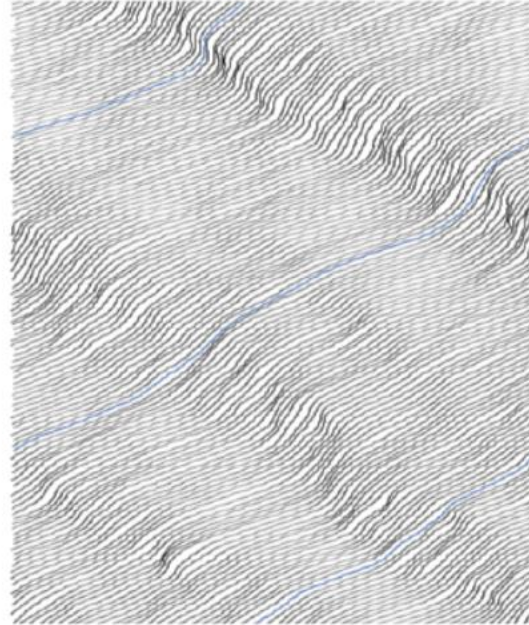
- With  $\sigma dW_n(t)$  independent Wiener processes
- Can lead to unstable traffic with stop-and-go waves even if  $A$  is linearly stable.

# Stochastic Car-Following Model

$A$  linear  
(unconditional stability)



Critical settings for  $A$   
(subcritical instability)





# The Adaptive Time-Gap Model

No phase transition in linearly stable models-> white noise can not influence stability properties

What about the Adaptive Time-Gap Model [1]

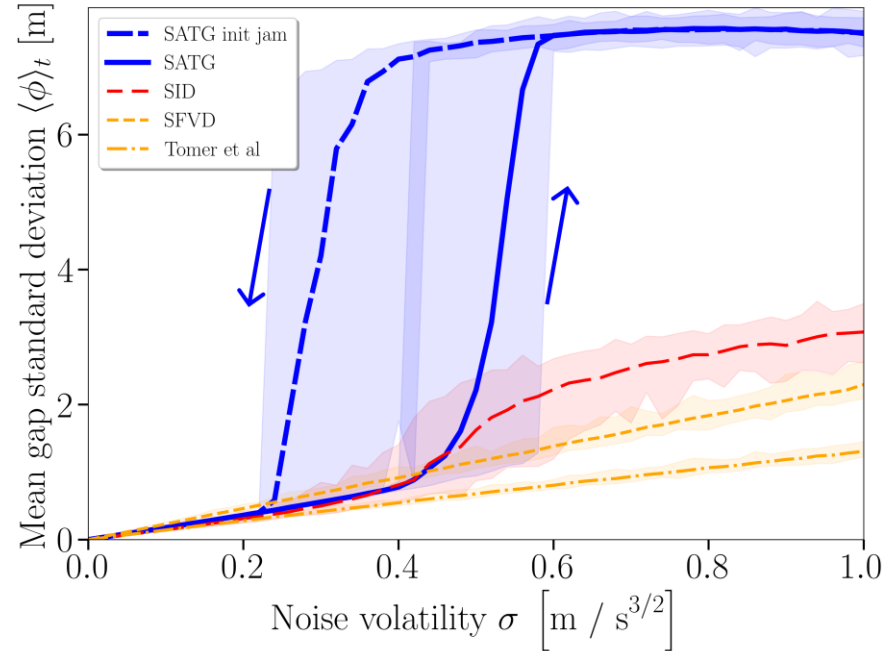
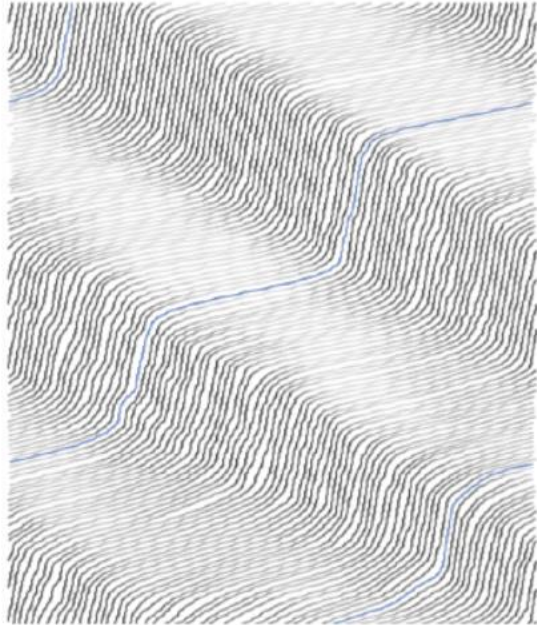
- non-linear
- Linearly stable for all parameter if  $\tau, T > 2$

$$\dot{v} = \frac{1}{T_k} \left[ \frac{g_k - T v_k}{\tau} + \Delta v_k \right] dt + \sigma dW_n$$

[1] Tordeux, Antoine, Sylvain Lassarre, and Michel Roussignol. "An adaptive time gap car-following model." *Transportation research part B: methodological* 44.8-9 (2010): 1115-1131.

# The stochastic Adaptive Time-Gap Model (ATG)

A nonlinear  
(nonlinear instability)



Dufour, Oscar, et al. "Noise-induced transition to stop-and-go waves in single-file traffic rationalized by an analogy with Kapitza's inverted pendulum." *arXiv preprint arXiv:2503.23594*(2025).



# Results and Future Steps

**Linear stability not sufficient to control stop-and-go dynamics in stochastic systems**

Future Actions:

- Conduct testing on simulation platforms CARLA with driver Seat.
- Perform robotic experiments.

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